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Program No. – 04

Program Title – A\* Search Algorithm using 8 puzzle

**Problem Statement**

Implement A\* search algorithm.

**Explanation:**

The puzzle consists of 8 tiles and one empty space where the tiles can be moved. Start and Goal configurations (also called state) of the puzzle are provided. The puzzle can be solved by moving the tiles one by one in the single empty space and thus achieving the Goal configuration. The tiles in the initial(start) state can be moved in the empty space in a particular order and thus achieve the goal state.

**Rules for solving the puzzle:**

Instead of moving the tiles in the empty space, we can visualize moving the empty space in place of the tile, basically swapping the tile with the empty space. The empty space can only move in four directions viz.,

1. Up

2. Down

3. Right or

4. Left

The empty space cannot move diagonally and can take only one step at a time(i.e. move the empty space one position at a time).

**Using A\* search algorithm:**

A\* uses a combination of heuristic value (h-score: how far the goal node is) as well as the g-score (i.e. the number of nodes traversed from the start node to current node).

**f-score = h-score + g-score**

In our 8-Puzzle problem, we can define the **h-score** as the number of misplaced tiles by comparing the current state and the goal state or summation of the Manhattan distance between misplaced nodes.

**g-score** will remain as the number of nodes traversed from a start node to get to the current node.

## **How A\* solves the 8-Puzzle problem:**

We first move the empty space in all the possible directions in the start state and calculate the **f-score** for each state. This is called expanding the current state.

A state with the least f-score is selected and expanded again. This process continues until the goal state occurs as the current state. Basically, here we are providing the algorithm a measure to choose its actions. The algorithm chooses the best possible.

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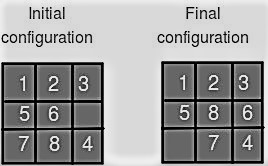
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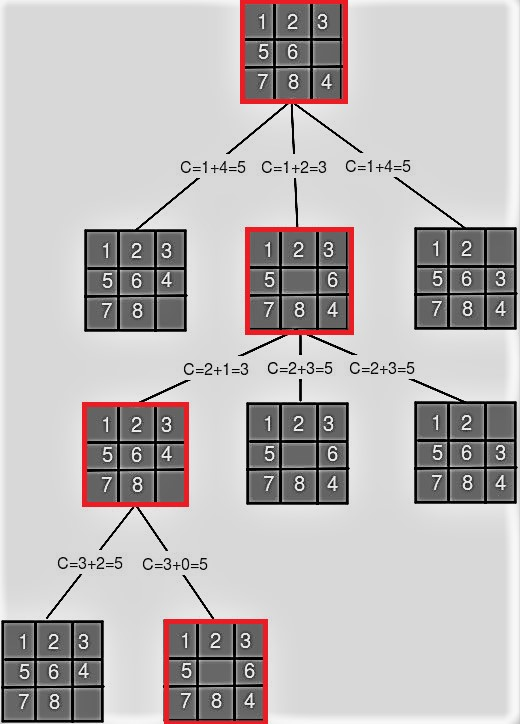
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This solves the issue of generating redundant child states, as the algorithm will expand the node with the least **f-score**.





**Implementation of algorithm:**

Below are the functions used in the implementation of a\* search.

1. To calculate Manhattan distance

def h(state, target):

2. A\* search algorithm

def astar(src, target): *# a\* algo*

3. To find all possible moves of empty tile

def possible\_moves(state, visited\_states):

4. To move Up, Down, Left, Right

def gen(state, direction, b):

5. To print the required states

def print\_grid(src):